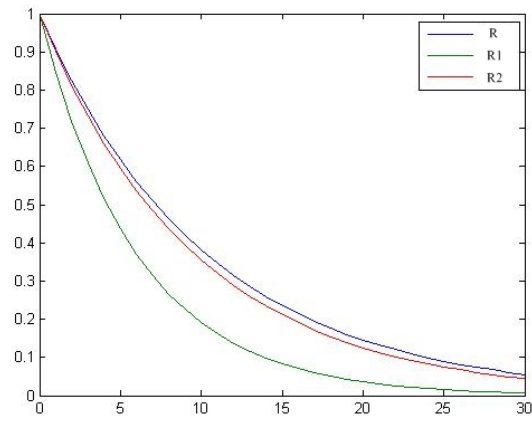
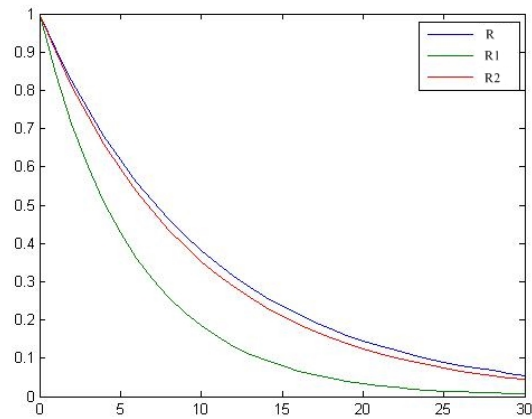


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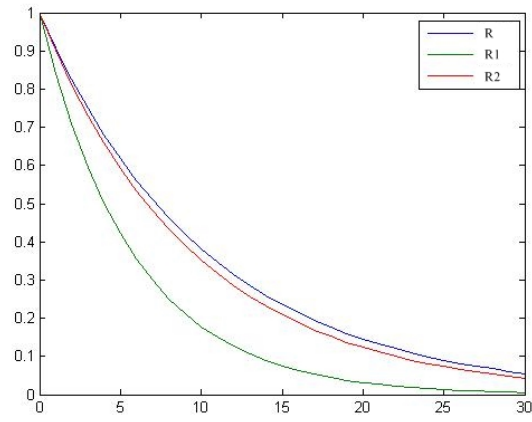
LAMPIRAN 1



Gambar 4.1: Grafik Batas Atas Peluang Kebangkrutan untuk $i_0 = 6\%$



Gambar 4.2: Grafik Batas Atas Peluang Kebangkrutan untuk $i_1 = 8\%$



Gambar 4.3: Grafik Batas Atas Peluang Kebangkrutan untuk $i_2 = 10\%$

LAMPIRAN 2

Rumus Persamaan R

$$\begin{aligned}
 1 &= E(e^{R(Y_1 - X_1)}) \\
 0 &= E(e^{R(Y_1 - X_1)}) - 1 \\
 0 &= E(e^{(RY_1 - RX_1)}) - 1 \\
 0 &= E(e^{RY_1})E(e^{-RX_1}) - 1 \\
 0 &= M_{Y_1}(R)E(e^{-R(1,11089)}) - 1 \\
 0 &= \frac{1}{(1 - 2R)^{0,5}} e^{-1,11089R} - 1 \\
 0 &= (1 - 2R)^{-0,5} e^{-1,11089R} - 1
 \end{aligned}$$

Rumus Persamaan R_1

1. Suku Bunga Awal $i_0 = 6\%$

$$\begin{aligned}
 1 &= E(e^{-\kappa_1(X_1 - Y_1(1+I_1)^{-1})}) \\
 0 &= E(e^{-\kappa_1(X_1 - Y_1(1+I_1)^{-1})}) - 1 \\
 0 &= E(e^{(-\kappa_1 X_1 + \kappa_1 Y_1(1+I_1)^{-1})}) - 1 \\
 0 &= E(e^{-\kappa_1 X_1})E(e^{\kappa_1 Y_1(1+I_1)^{-1}}) - 1 \\
 0 &= E(e^{-1,11089\kappa_1})M_{Y_1}(\kappa_1(1 + I_1)^{-1}) - 1 \\
 0 &= e^{-1,11089\kappa_1} \left[0,2M_{Y_1}\left(\frac{\kappa_1}{1,06}\right) + 0,8M_{Y_1}\left(\frac{\kappa_1}{1,08}\right) \right] - 1 \\
 0 &= e^{-1,11089\kappa_1} \left[0,2\left(1 - \frac{2\kappa_1}{1,06}\right)^{-0,5} + 0,8\left(1 - \frac{2\kappa_1}{1,08}\right)^{-0,5} \right] - 1
 \end{aligned}$$

2. Suku Bunga Awal $i_1 = 8\%$

$$\begin{aligned}
1 &= E(e^{-\kappa_1(X_1 - Y_1(1+I_1)^{-1})}) \\
0 &= E(e^{-\kappa_1(X_1 - Y_1(1+I_1)^{-1})}) - 1 \\
0 &= E(e^{(-\kappa_1 X_1 + \kappa_1 Y_1(1+I_1)^{-1})}) - 1 \\
0 &= E(e^{-\kappa_1 X_1})E(e^{\kappa_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-1,11089\kappa_1})M_{Y_1}(\kappa_1(1+I_1)^{-1}) - 1 \\
0 &= e^{-1,11089\kappa_1} \left[0,15M_{Y_1}\left(\frac{\kappa_1}{1,06}\right) + 0,7M_{Y_1}\left(\frac{\kappa_1}{1,08}\right) \right. \\
&\quad \left. + 0,15M_{Y_1}\left(\frac{\kappa_1}{1,10}\right) \right] - 1 \\
0 &= e^{-1,11089\kappa_1} \left[0,15\left(1 - \frac{2\kappa_1}{1,06}\right)^{-0,5} + 0,7\left(1 - \frac{2\kappa_1}{1,08}\right)^{-0,5} \right. \\
&\quad \left. + 0,15\left(1 - \frac{2\kappa_1}{1,10}\right)^{-0,5} \right] - 1
\end{aligned}$$

3. Suku Bunga Awal $i_2 = 10\%$

$$\begin{aligned}
1 &= E(e^{-\kappa_1(X_1 - Y_1(1+I_1)^{-1})}) \\
0 &= E(e^{-\kappa_1(X_1 - Y_1(1+I_1)^{-1})}) - 1 \\
0 &= E(e^{(-\kappa_1 X_1 + \kappa_1 Y_1(1+I_1)^{-1})}) - 1 \\
0 &= E(e^{-\kappa_1 X_1})E(e^{\kappa_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-1,11089\kappa_1})M_{Y_1}(\kappa_1(1+I_1)^{-1}) - 1 \\
0 &= e^{-1,11089\kappa_1} \left[0,8M_{Y_1}\left(\frac{\kappa_1}{1,08}\right) + 0,2M_{Y_1}\left(\frac{\kappa_1}{1,10}\right) \right] - 1 \\
0 &= e^{-1,11089\kappa_1} \left[0,8\left(1 - \frac{2\kappa_1}{1,08}\right)^{-0,5} + 0,2\left(1 - \frac{2\kappa_1}{1,10}\right)^{-0,5} \right] - 1
\end{aligned}$$

Rumus Persamaan R_2

1. Suku Bunga Awal $i_0 = 6\%$

$$\begin{aligned}
1 &= E(e^{-\rho_1(X_1 - Y_1)(1+I_1)^{-1}}) \\
0 &= E(e^{-\rho_1(X_1 - Y_1)(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-\rho_1 X_1(1+I_1)^{-1} + \rho_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-\rho_1 X_1(1+I_1)^{-1}})E(e^{\rho_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-\rho_1(1,11089)(1+I_1)^{-1}})E(e^{\rho_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= \left(0, 2e^{\frac{-\rho_1(1,11089)}{1,06}} + 0, 8e^{\frac{-\rho_1(1,11089)}{1,08}}\right) M_{Y_1}(\rho_1(1+I_1)^{-1}) - 1 \\
0 &= \left(0, 2e^{\frac{-\rho_1(1,11089)}{1,06}} + 0, 8e^{\frac{-\rho_1(1,11089)}{1,08}}\right) \left(0, 2\left(1 - \frac{2\rho_1}{1,06}\right)^{-0,5} \right. \\
&\quad \left. + 0, 8\left(1 - \frac{2\rho_1}{1,08}\right)^{-0,5}\right) - 1
\end{aligned}$$

2. Suku Bunga Awal $i_1 = 8\%$

$$\begin{aligned}
1 &= E(e^{-\rho_1(X_1 - Y_1)(1+I_1)^{-1}}) \\
0 &= E(e^{-\rho_1(X_1 - Y_1)(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-\rho_1 X_1(1+I_1)^{-1} + \rho_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-\rho_1 X_1(1+I_1)^{-1}})E(e^{\rho_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-\rho_1(1,11089)(1+I_1)^{-1}})E(e^{\rho_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= \left(0, 15e^{\frac{-\rho_1(1,11089)}{1,06}} + 0, 7e^{\frac{-\rho_1(1,11089)}{1,08}} + 0, 15e^{\frac{-\rho_1(1,11089)}{1,10}}\right) \\
&\quad M_{Y_1}(\rho_1(1+I_1)^{-1}) - 1 \\
0 &= \left(0, 15e^{\frac{-\rho_1(1,11089)}{1,06}} + 0, 7e^{\frac{-\rho_1(1,11089)}{1,08}} + 0, 15e^{\frac{-\rho_1(1,11089)}{1,10}}\right) \\
&\quad \left(0, 15\left(1 - \frac{2\rho_1}{1,06}\right)^{-0,5} + 0, 7\left(1 - \frac{2\rho_1}{1,08}\right)^{-0,5} + 0, 15\left(1 - \frac{2\rho_1}{1,10}\right)^{-0,5}\right) - 1
\end{aligned}$$

3. Suku Bunga Awal $i_2 = 10\%$

$$\begin{aligned}
1 &= E(e^{-\rho_1(X_1 - Y_1)(1+I_1)^{-1}}) \\
0 &= E(e^{-\rho_1(X_1 - Y_1)(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-\rho_1 X_1(1+I_1)^{-1} + \rho_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-\rho_1 X_1(1+I_1)^{-1}})E(e^{\rho_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= E(e^{-\rho_1(1,11089)(1+I_1)^{-1}})E(e^{\rho_1 Y_1(1+I_1)^{-1}}) - 1 \\
0 &= \left(0,8e^{\frac{-\rho_1(1,11089)}{1,08}} + 0,2e^{\frac{-\rho_1(1,11089)}{1,10}}\right)M_{Y_1}(\rho_1(1+I_1)^{-1}) - 1 \\
0 &= \left(0,8e^{\frac{-\rho_1(1,11089)}{1,08}} + 0,2e^{\frac{-\rho_1(1,11089)}{1,10}}\right)\left(0,8\left(1 - \frac{2\rho_1}{1,08}\right)^{-0,5}\right. \\
&\quad \left.+ 0,2\left(1 - \frac{2\rho_1}{1,10}\right)^{-0,5}\right) - 1
\end{aligned}$$

LAMPIRAN 3

Mencari Nilai R dengan Matlab R2012a

- **Fungsi R**

```
function [f] = fungsi(xk)
a = ((1-2*xk)^(-0.5));
b = exp(-1.11089*xk);
f = (a*b)-1;
end
```

- **Turunan Fungsi R**

```
function [t] = turunan(xk)
a = (exp(-1.11089*xk)/((1-2*xk)^(1.5)));
b = ((1.11089*exp(-1.11089*xk)/((1-2*xk)^(0.5))));
t = (a-b);
end
```

- **Mencari Akar R dengan Newton-Raphson**

```
%% Nilai Koefisien Penyesuaian R Menggunakan Metode Newton-Raphson.
```

```
ea = 0.000000001;
maxiter = 10;
xk = input('Masukkan x awal : ');
k = 1;

fprintf(1,'-----\n')
fprintf(1,'Iterasi    xk        f(xk)        ea        \n')
fprintf(1,'-----\n')

for k = 1:maxiter
fx = fungsi(xk);
```

```
fpx = turunan(xk);  
x_imp = xk-(fx/fpx);  
diff = ((x_imp-xk)/xk);  
fprintf(1,'%4.0f   %10.5f   %10.5f   %10.5f   \n',k,xk,fx,diff)  
if abs(diff) <= ea || k >= maxiter  
break  
end  
xk = x_imp;  
k = k+1;  
end  
fprintf(1,'=====\n')
```


Mencari Nilai R_1 untuk $i_0 = 6\%$ dengan Matlab R2012a

- **Fungsi R_1 untuk $i_0 = 6\%$**

```
function [f] = fungsiR16(xk)
a = exp(-1.11089*xk);
b = (0.2*((1-(2/1.06)*xk)^(-0.5)));
c = (0.8*((1-(2/1.08)*xk)^(-0.5)));
f = a*(b+c)-1;
end
```

- **Turunan Fungsi R_1 untuk $i_0 = 6\%$**

```
function [t] = turunanR16(xk)
a = (-1.11089*exp(-1.11089*xk));
b = (0.2/((1-(2/1.06)*xk)^(0.5)));
c = (0.8/((1-(2/1.08)*xk)^(0.5)));
d = (exp(-1.11089*xk));
e = (0.2*0.5*2/1.06)/((1-(2/1.06)*xk)^(1.5));
f = (0.8*0.5*2/1.08)/((1-(2/1.08)*xk)^(1.5));
t = (a*(b+c))+(d*(e+f));
end
```

- **Mencari Akar R_1 untuk $i_0 = 6\%$ dengan Newton-Raphson**

%% Nilai Koefisien Penyesuaian R1 dengan Suku Bunga 6% Menggunakan Metode Newton-Raphson.

```
ea = 0.000000001;
maxiter = 10;
xk = input('Masukkan x awal : ');
k = 1;
fprintf(1,'-----\n')
```

```

fprintf(1,'Iterasi      xk      f(xk)      ea      \n')
fprintf(1,'-----\n')

for k = 1:maxiter
fx = fungsiR16(xk);
fpx = turunanR16(xk);
x_imp = xk-(fx/fpx);
diff = ((x_imp-xk)/xk);
fprintf(1,'%4.0f      %10.5f      %10.5f      %10.5f      \n',k,xk,fx,diff)
if abs(diff) <= ea || k >= maxiter
break
end

xk = x_imp;

k = k+1;

end

fprintf(1,'===== \n')
```

Mencari Nilai R_2 untuk $i_0 = 6\%$ dengan Matlab R2012a

- **Fungsi R_2 untuk $i_0 = 6\%$**

```
function [f] = fungsiR26(xk)
a = (0.2*exp(-1.11089/1.06*xk));
b = (0.8*exp(-1.11089/1.08*xk));
c = (0.2*((1-(2/1.06*xk))^(-0.5)));
d = (0.8*((1-(2/1.08*xk))^(-0.5)));
f = ((a+b)*(c+d))-1;
end
```

- **Turunan Fungsi R_2 untuk $i_0 = 6\%$**

```
function [t]=turunanR26(xk)
a=((-0.2*1.11089/1.06)*exp(-1.11089/1.06*xk));
b=((0.8*1.11089/1.08)*exp(-1.11089/1.08*xk));
c=(0.2*((1-(2/1.06*xk))^(-0.5)));
d=(0.8*((1-(2/1.08*xk))^(-0.5)));
e=(0.2*exp(-1.11089/1.06*xk));
f=(0.8*exp(-1.11089/1.08*xk));
g=((0.2*2/1.06*0.5)*((1-(2/1.06*xk))^(-1.5)));
h=((0.8*2/1.08*0.5)*((1-(2/1.08*xk))^(-1.5)));
t=((a-b)*(c+d))+((e+f)*(g+h));
end
```

- **Mencari Akar R_2 untuk $i_0 = 6\%$ dengan Newton-Raphson**

%% Nilai Koefisien Penyesuaian R2 dengan Suku Bunga 6% Menggunakan Metode Newton-Raphson.

```
ea = 0.000000001;
maxiter = 10;
```

```

xk = input('Masukkan x awal : ')
k = 1;

fprintf(1,'-----\n')
fprintf(1,'Iterasi    xk        f(xk)        ea        \n')
fprintf(1,'-----\n')

for k = 1:maxiter
    fx = fungsiR26(xk);
    fpx = turunanR26(xk);
    x_imp = xk-(fx/fpx);
    diff = ((x_imp-xk)/xk);
    fprintf(1,'%4.0f    %10.5f    %10.5f    %10.5f    \n',k,xk,fx,diff)
    if abs(diff) <= ea || k >= maxiter
        break
    end
    xk = x_imp;
    k = k+1;
end
fprintf(1,'===== \n')

```

Mencari Nilai R_1 untuk $i_1 = 8\%$ dengan Matlab R2012a

- **Fungsi R_1 untuk $i_1 = 8\%$**

```
function [f]=fungsiR18(xk)
a = exp(-1.11089*xk);
b = (0.15*((1-(2/1.06)*xk)^(-0.5)));
c = (0.7*((1-(2/1.08)*xk)^(-0.5)));
d = (0.15*((1-(2/1.1)*xk)^(-0.5)));
f = (a*(b+c+d))-1;
end
```

- **Turunan Fungsi R_1 untuk $i_1 = 8\%$**

```
function [t]=turunanR18(xk)
a=(-1.11089*exp(-1.11089*xk));
b=(0.15/((1-(2/1.06)*xk)^(0.5)));
c=(0.7/((1-(2/1.08)*xk)^(0.5)));
d=(0.15/((1-(2/1.1)*xk)^(0.5)));
e=(exp(-1.11089*xk));
f=((0.15*0.5*2/1.06)/((1-(2/1.06)*xk)^(1.5)));
g=((0.7*0.5*2/1.08)/((1-(2/1.08)*xk)^(1.5)));
h=((0.15*0.5*2/1.1)/((1-(2/1.1)*xk)^(1.5)));
t=(a*(b+c+d))+(e*(f+g+h));
end
```

- **Mencari Akar R_1 untuk $i_1 = 8\%$ dengan Newton-Raphson**

%% Nilai Koefisien Penyesuaian R1 dengan Suku Bunga 8% Menggunakan Metode Newton-Raphson.

```
ea = 0.000000001;
maxiter = 10;
```

```

xk = input('Masukkan x awal : ')
k = 1;

fprintf(1,'-----\n')
fprintf(1,'Iterasi    xk        f(xk)        ea        \n')
fprintf(1,'-----\n')

for k = 1:maxiter
    fx = fungsiR18(xk);
    fpx = turunanR18(xk);
    x_imp = xk-(fx/fpx);
    diff = ((x_imp-xk)/xk);
    fprintf(1,'%4.0f    %10.5f    %10.5f    %10.5f    \n',k,xk,fx,diff)
    if abs(diff) <= ea || k >= maxiter
        break
    end
    xk = x_imp;
    k = k+1;
end
fprintf(1,'=====\n')

```

Mencari Nilai R_2 untuk $i_1 = 8\%$ dengan Matlab R2012a

- **Fungsi R_2 untuk $i_1 = 8\%$**

```
function [f]=fungsiR28(xk)
a=(0.15*exp(-1.11089/1.06*xk));
b=(0.7*exp(-1.11089/1.08*xk));
c=(0.15*exp(-1.11089/1.1*xk));
d=(0.15*((1-(2/1.06*xk))^-0.5));
e=(0.7*((1-(2/1.08*xk))^-0.5));
g=(0.15*((1-(2/1.1*xk))^-0.5));
f=((a+b+c)*(d+e+g))-1;
end
```

- **Turunan Fungsi R_2 untuk $i_1 = 8\%$**

```
function [t]=turunanR28(xk)
a=(-0.15*1.11089/1.06)*exp(-1.11089/1.06*xk);
b=((0.7*1.11089/1.08)*exp(-1.11089/1.08*xk));
c=((0.15*1.11089/1.1)*exp(-1.11089/1.1*xk));
d=(0.15*((1-(2/1.06*xk))^-0.5));
e=(0.7*((1-(2/1.08*xk))^-0.5));
f=(0.15*((1-(2/1.1*xk))^-0.5));
g=(0.15*exp(-1.11089/1.06*xk));
h=(0.7*exp(-1.11089/1.08*xk));
i=(0.15*exp(-1.11089/1.1*xk));
j=((0.15*2/1.06*0.5)*((1-(2/1.06*xk))^-1.5));
k=((0.7*2/1.08*0.5)*((1-(2/1.08*xk))^-1.5));
l=((0.15*2/1.1*0.5)*((1-(2/1.1*xk))^-1.5));
t=((a-b-c)*(d+e+f))+((g+h+i)*(j+k+l));
```

```
end
```

- **Mencari Akar R_2 untuk $i_1 = 8\%$ dengan Newton-Raphson**

%% Nilai Koefisien Penyesuaian R2 dengan Suku Bunga 8% Menggunakan Metode Newton-Raphson.

```
ea = 0.000000001;
```

```
maxiter = 10;
```

```
xk = input('Masukkan x awal : ');
```

```
k = 1;
```

```
fprintf(1,'-----\n')
```

```
fprintf(1,'Iterasi      xk      f(xk)      ea      \n')
```

```
fprintf(1,'-----\n')
```

```
for k = 1:maxiter
```

```
fx = fungsiR28(xk);
```

```
fpx = turunanR28(xk);
```

```
x_imp = xk-(fx/fpx);
```

```
diff = ((x_imp-xk)/xk);
```

```
fprintf(1,'%4.0f      %10.5f      %10.5f      %10.5f      \n',k,xk,fx,diff)
```

```
if abs(diff) <= ea || k >= maxiter
```

```
break
```

```
end
```

```
xk = x_imp;
```

```
k = k+1;
```

```
end
```

```
fprintf(1,'=====\n')
```


Mencari Nilai R_1 untuk $i_2 = 10\%$ dengan Matlab R2012a

- **Fungsi R_1 untuk $i_2 = 10\%$**

```
function [f] = fungsiR110(xk)
a = exp(-1.11089*xk);
b = (0.8*((1-(2/1.08)*xk)^(-0.5)));
c = (0.2*((1-(2/1.1)*xk)^(-0.5)));
f = (a*(b+c))-1;
end
```

- **Turunan Fungsi R_1 untuk $i_2 = 10\%$**

```
function [t] = turunanR110(xk)
a=(-1.11089*exp(-1.11089*xk));
b=(0.8/(((1-(2/1.08)*xk)^(0.5))));
c=(0.2/(((1-(2/1.1)*xk)^(0.5))));
e=(exp(-1.11089*xk));
f=((0.8*0.5*2/1.08)/(((1-(2/1.08)*xk)^(1.5))));
g=((0.2*0.5*2/1.1)/(((1-(2/1.1)*xk)^(1.5))));
t=(a*(b+c))+(e*(f+g));
end
```

- **Mencari Akar R_1 untuk $i_2 = 10\%$ dengan Newton-Raphson**

%% Nilai Koefisien Penyesuaian R1 dengan Suku Bunga 10% Menggunakan Metode Newton-Raphson.

```
ea = 0.000000001;
maxiter = 10;
xk = input('Masukkan x awal : ');
k = 1;
fprintf(1,'-----\n')
```

```

fprintf(1,'Iterasi      xk      f(xk)      ea      \n')
fprintf(1,'-----\n')

for k = 1:maxiter
fx = fungsiR110(xk);
fpx = turunanR110(xk);
x_imp = xk-(fx/fpx);
diff = ((x_imp-xk)/xk);
fprintf(1,'%4.0f      %10.5f      %10.5f      %10.5f      \n',k,xk,fx,diff)
if abs(diff) <= ea || k >= maxiter
break
end

xk = x_imp;

k = k+1;

end

fprintf(1,'===== \n')

```

Mencari Nilai R_2 untuk $i_2 = 10\%$ dengan Matlab R2012a

- **Fungsi R_2 untuk $i_2 = 10\%$**

```
function [f] = fungsiR210(xk)
a = (0.8*exp(-1.11089/1.08*xk));
b = (0.2*exp(-1.11089/1.1*xk));
c = (0.8*((1-(2/1.08*xk))^(-0.5)));
d = (0.2*((1-(2/1.1*xk))^(-0.5)));
f = ((a+b)*(c+d))-1;
end
```

- **Turunan Fungsi R_2 untuk $i_2 = 10\%$**

```
function [t]=turunanR210(xk)
a=((-0.8*1.11089/1.08)*exp(-1.11089/1.08*xk));
b((-0.2*1.11089/1.1)*exp(-1.11089/1.1*xk));
c=(0.8*((1-(2/1.08*xk))^(-0.5)));
d=(0.2*((1-(2/1.1*xk))^(-0.5)));
e=(0.8*exp(-1.11089/1.08*xk));
f=(0.2*exp(-1.11089/1.1*xk));
g=((0.8*2/1.08*0.5)*((1-(2/1.08*xk))^(-1.5)));
h=((0.2*2/1.1*0.5)*((1-(2/1.1*xk))^(-1.5)));
t=((a+b)*(c+d))+((e+f)*(g+h));
end
```

- **Mencari Akar R_2 untuk $i_2 = 10\%$ dengan Newton-Raphson**

%% Nilai Koefisien Penyesuaian R2 dengan Suku Bunga 10% Menggunakan Metode Newton-Raphson.

```
ea = 0.000000001;
maxiter = 10;
```

```

xk = input('Masukkan x awal : ')
k = 1;

fprintf(1,'-----\n')
fprintf(1,'Iterasi    xk        f(xk)        ea        \n')
fprintf(1,'-----\n')

for k = 1:maxiter
    fx = fungsiR210(xk);
    fpx = turunanR210(xk);
    x_imp = xk-(fx/fpx);
    diff = ((x_imp-xk)/xk);
    fprintf(1,'%4.0f    %10.5f    %10.5f    %10.5f    \n',k,xk,fx,diff)
    if abs(diff) <= ea || k >= maxiter
        break
    end
    xk = x_imp;
    k = k+1;
end
fprintf(1,'===== \n')

```

Batas Atas Peluang Kebangkrutan Menggunakan Matlab

R2012a

```

%% Batas Atas Peluang Kebangkrutan
R = input('Masukkan nilai R : ')
fprintf(1,'—————\n')
fprintf(1,'    u        p        \n')
fprintf(1,'—————\n')
u = 0:30;
p = exp(-1*u*R);
plot(u,p)
for u = 0:30;
p = exp(-1*u*R);
fprintf(1,'%4.0f    %11f    \n',u,p)
end
fprintf(1,'===== \n')

```